

# Quantifying the impact of mortality underreporting on analyses of overall survival



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## Background

- Clinical outcomes may occasionally be compared across different datasets, e.g. when a historical control group serves as comparator for a single arm trial.
- The two datasets may differ in completeness and accuracy of outcome reporting (e.g. death)
- Mortality underreporting leads to overestimation of overall survival (OS), and differential underreporting between compared datasets leads to biased estimates of mortality hazard ratios.
- Endpoint validation through collection of additional data, or linking to a “gold standard” source of mortality information is often not practical.
- A theoretical framework could help quantify and better understand the impact of mortality underreporting on median OS and mortality hazard ratios.
- Flatiron Health (FIH) developed an electronic health records (EHR)-derived database<sup>1</sup>. The process to capture mortality improved over time, from 76.9% of deaths reported in version 1.0 (OS<sub>1.0</sub>) to 87% in version 2.0 (OS<sub>2.0</sub>)<sup>2</sup>
- Aim: to validate theoretical predictions of bias by comparison with outputs from the FIH data with known levels of mortality underreporting.**

## Methods

Mathematical models (described below) predict OS biases.

Validation of theoretical predictions using real world data:

- A cohort of incident metastatic breast cancer (mBC) patients diagnosed between January 1<sup>st</sup> 2011 and July 31<sup>st</sup> 2016 was identified in the FIH EHR-derived database<sup>1</sup>. This allowed for both OS<sub>1.0</sub> and OS<sub>2.0</sub> (from diagnosis) to be available for all patients. Data beyond July 31<sup>st</sup> 2016 was censored.
- Patients were stratified by biomarker status, using well-known prognostic biomarkers.
- Within the five biomarker-based strata, each patient was duplicated to be present with mortality information versions OS<sub>1.0</sub> (arm 1) as well as OS<sub>2.0</sub> (arm 2), permitting comparison of mortality endpoints.
- Within biomarker subgroups, hazard ratios of OS<sub>1.0</sub> (arm 1) vs OS<sub>2.0</sub> (arm 2) were compared against theoretical predictions (equation 1 below)
- Similarly, a ratio of Kaplan-Meier median OS<sub>1.0</sub> (arm 1) vs median OS<sub>2.0</sub> (arm 2) was compared against theoretical predictions (equation 2 below)

## Mathematical Models

### Parameters

$s_1, s_2$	proportion of reported deaths (“sensitivity”) in arms 1 and 2, respectively
$R_{1,2}$	Observed hazard ratio comparing arms 1 and 2 (biased by mortality underreporting)
$\rho_{1,2}$	True hazard ratio comparing arms 1 and 2 (unbiased, with perfect mortality data)
$m_1, m_2$	Observed median OS in arms 1 and 2 (biased by mortality underreporting)
$\mu_1, \mu_2$	True median OS in arms 1 and 2 (unbiased, with perfect mortality data)

### Impact of mortality underreporting on OS hazard ratios

$$1) \quad \frac{R_{1,2}}{\rho_{1,2}} = \frac{s_1}{s_2}$$

“The observed hazard ratio between arms 1 and 2 compares to the true hazard ratio as the sensitivity in arm 1 compares to the sensitivity in arm 2.”

**Derivation:** Let  $\tau_i$  be the true hazard function in arm  $i$ , and let  $s_i$  denote the proportion of death events (assumed randomly) reported in the data of arm  $i$ . The observed hazard function  $o_i$  can then be written as  $o_i = s_i \tau_i$ . Division of  $o_1$  by  $o_2$  yields the above equation, using  $R_{1,2} = \frac{o_1}{o_2}$  and  $\rho_{1,2} = \frac{\tau_1}{\tau_2}$  for observed and true hazard ratios, respectively.

### Impact of mortality underreporting on median OS (assuming exponential survival)

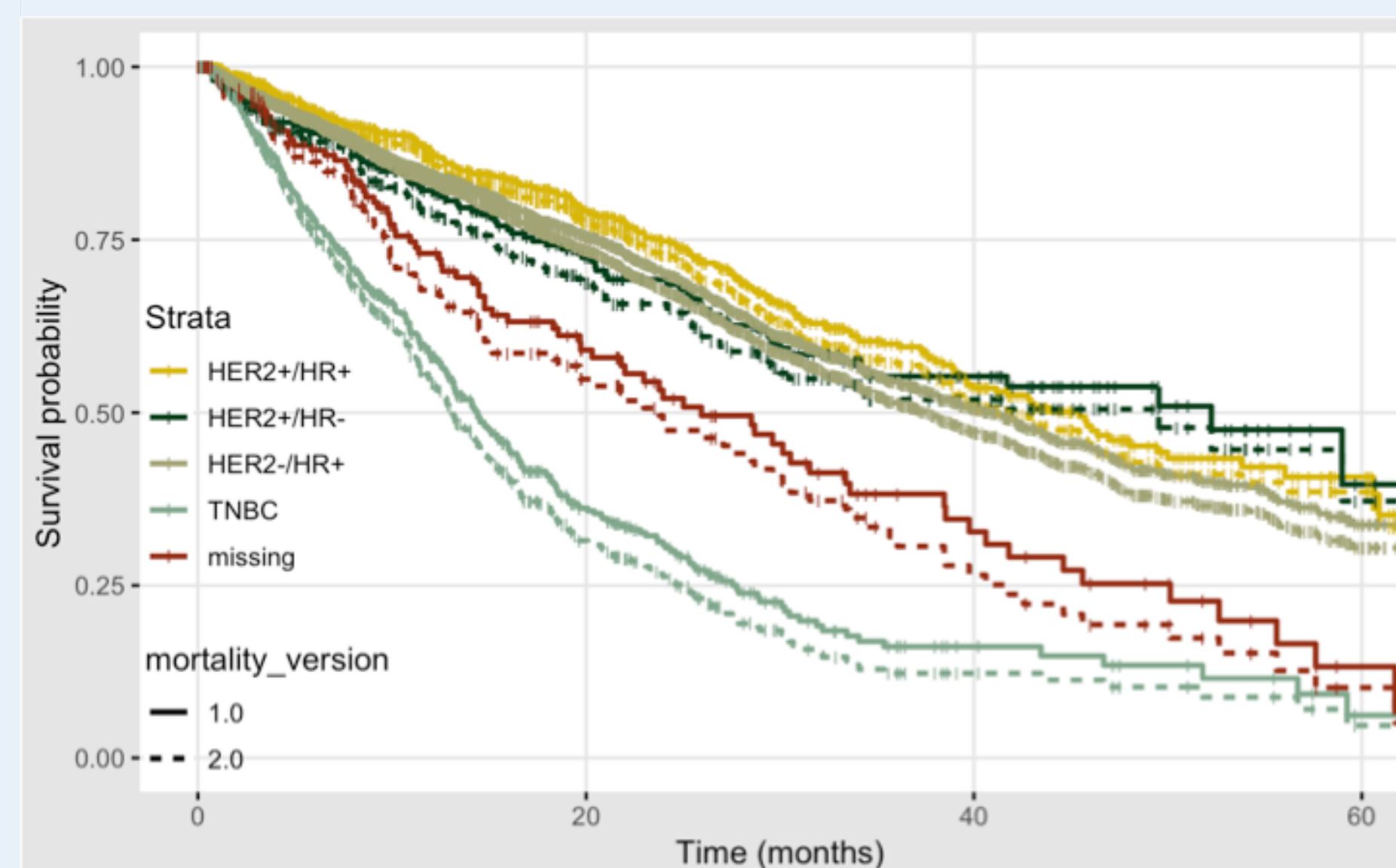
$$2) \quad \frac{m_1}{m_2} = \frac{\mu_1 s_2}{\mu_2 s_1}$$

“The apparent ratio of medians between arms 1 and 2 equals the true ratio of medians divided by the ratio of corresponding sensitivities”

**Derivation:** Let  $\tau_i$  be the true hazard function in arm  $i$ , and let  $s_i$  denote the proportion of death events (assumed randomly) reported in the data of arm  $i$ . The observed hazard function  $o_i$  can then be written as  $o_i = s_i \tau_i$ . Both hazards are time-constant in this case, consistent with assuming exponentially distributed survival times. Using the formula for the median of an exponentially distributed variable, observed and true medians in arm  $i$  can be written as  $m_i = \ln(2)/o_i$  and  $\mu_i = \ln(2)/\tau_i$ . The above equation is obtained through division of  $m_1$  by  $m_2$  and simplification using the relationship between true hazard and true median.

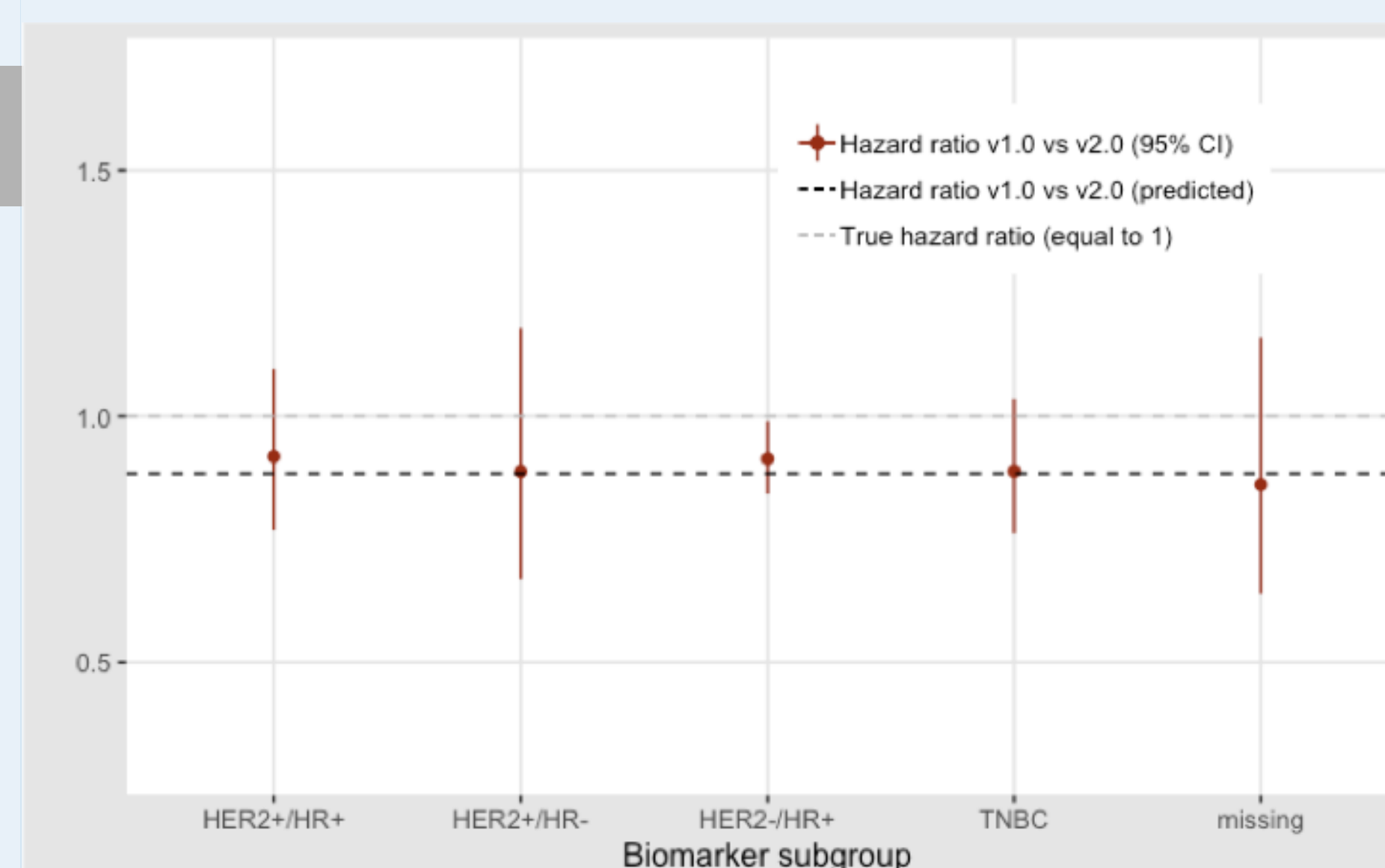
## Results

**Fig 1: Kaplan-Meier plots of OS, by subgroup and mortality version**



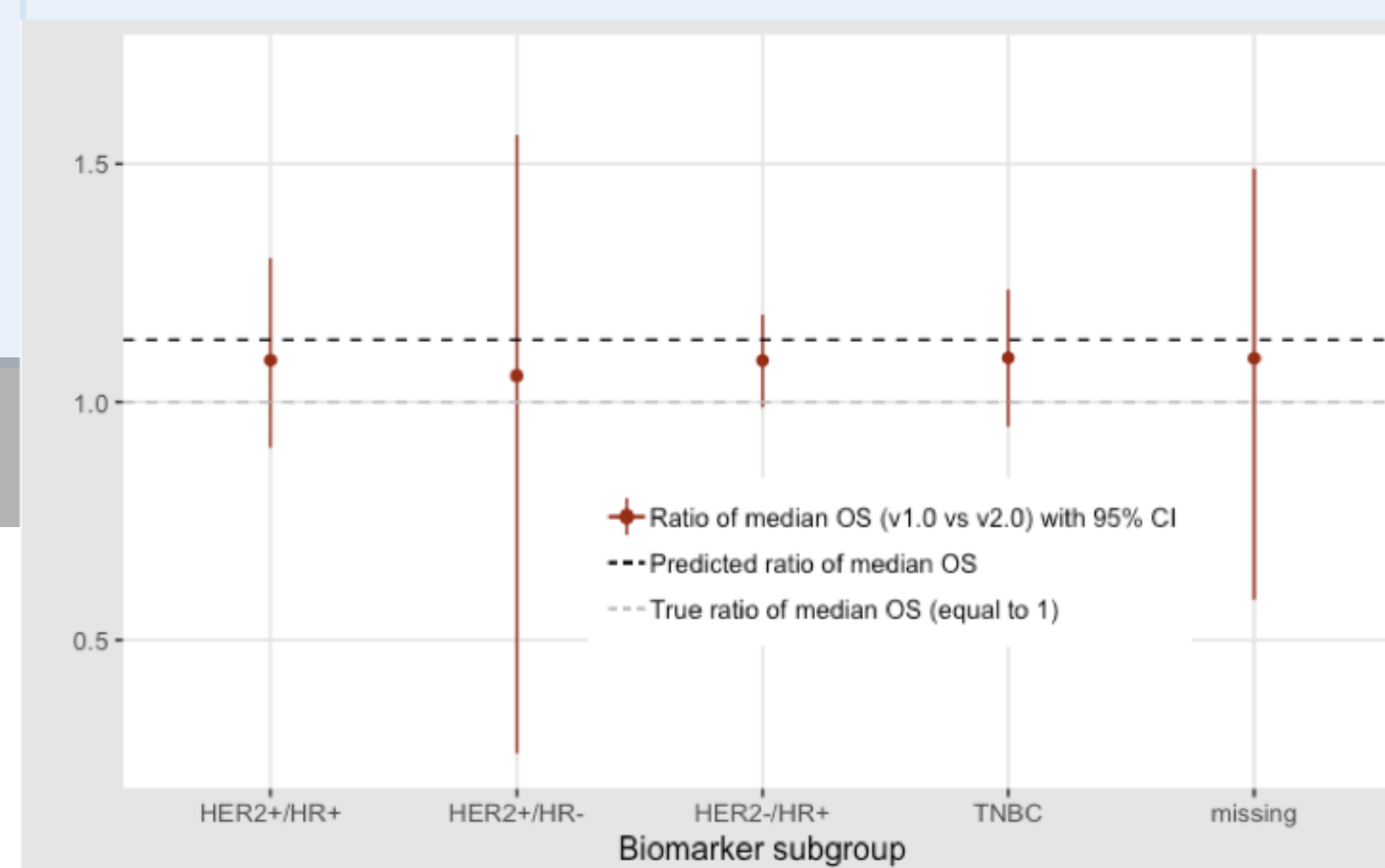
- N=5,483 mBC patients were identified in the FIH data, with subgroups HER2+/HR+ (N=842), HER2+/HR- (N=305), HER2-/HR+ (N=3608), triple negative (N=562), missing biomarker information (N=166).
- Median follow-up: 22.6 months
- OS differed by biomarker subgroup
- Mortality data version 1.0 (OS<sub>1.0</sub>) leads to numerically longer survival due to a higher % of missed deaths

**Fig 2: Impact of mortality underreporting on OS hazard ratios**



- Fig 2: within-subgroup comparison of the hazard of death (Hazard ratio OS<sub>1.0</sub> vs OS<sub>2.0</sub>)
- True hazard ratio should be 1.0 with perfect mortality data (same patients in each group)
- Bias due to differential % deaths missed is reasonably well predicted by the mathematical model (eq. 1)

**Fig 3: Impact of mortality underreporting on Kaplan-Meier median OS**



- Fig 3: within-subgroup comparison of median OS: ratio of K-M median OS<sub>1.0</sub> vs K-M median OS<sub>2.0</sub>
- True ratio of medians should be 1.0 with perfect mortality data (same patients in each group)
- The model-based prediction (eq. 2) of the “ratio of medians” consistently overestimates the effect of differential mortality underreporting.

## Conclusion

- The bias in OS hazard ratios due to differential mortality underreporting is well predicted by the theoretical framework (Fig 2).
- Model-based predictions of bias in the ratio of K-M medians (Fig 3) are consistently high, albeit still within confidence limits.
- This approach could potentially be used to assess the impact of differences in mortality reporting between compared datasets when the sensitivity parameters are approximately known.
- Conversely, the mathematical models could help determine acceptable levels of mortality underreporting that would not alter the conclusions of a particular analysis.

## References

- Flatiron Health database (<https://flatiron.com/real-world-evidence/>), May 2018, mortality v2.0
- Curtis MD, Griffith S, Tucker M, Taylor MD, Capra WB, Carrigan G, Holzman B, Torres AZ, You P, Arneri B, Abernethy AP. Development and Validation of a High-Quality Composite Real-World Mortality Endpoint. Health Services Research May, 2018 4-17.